

演習 5.14

$\bar{x} = \bar{y} = (\text{定数}) \times \alpha$ ではない

$$f(x) = f(x_0) + f'(x_0)(x-x_0) + \frac{1}{2!} f''(x_0)(x-x_0)^2 + O(|x-x_0|^3)$$

$$E_n(w_{ji} + \varepsilon) = E_n(w_{ji}) + E_n'(w_{ji}) \varepsilon + \frac{1}{2!} E_n''(w_{ji}) \varepsilon^2 + O(\varepsilon^3)$$

$$E_n(w_{ji} - \varepsilon) = E_n(w_{ji}) + E_n'(w_{ji})(-\varepsilon) + \frac{1}{2!} E_n''(w_{ji}) \varepsilon^2 + O(\varepsilon^3)$$

= 同様

$$\textcircled{1} \frac{E_n(w_{ji} + \varepsilon) - E_n(w_{ji} - \varepsilon)}{2\varepsilon} = \frac{2E_n'(w_{ji})\varepsilon + O(\varepsilon^3)}{2\varepsilon} = E_n'(w_{ji}) + O(\varepsilon^2)$$

$$\textcircled{2} \frac{E_n(w_{ji} + \varepsilon) - E_n(w_{ji})}{\varepsilon} = \frac{E_n'(w_{ji})\varepsilon + O(\varepsilon^2)}{\varepsilon} = E_n'(w_{ji}) + O(\varepsilon)$$

中心差分使, 微分が $O(\varepsilon^2)$

ふりきり差分 " " $O(\varepsilon)$ ではない